Luminosity Distance and Non Perturbative Cosmology

Fanizza Giuseppe

Università degli studi di Bari "A. Moro" Dipartimento interateneo di Fisica "M. Merlin" 3rd Xmas Theory Workshop

23 Dicembre 2013

Luminosity Distance and Non Perturbative Cosmology

Fanizza Giuseppe

Importance of an exact non-perturbative approach

The Geodesic _ight-Cone gauge

Luminosity distance in this gauge

Importance of an exact non-perturbative approach

Theoretical motivations:

Considering all of the effects due to inhomogeneities and anisotropies Evaluating the impact of the backreaction

Non linearity of Einstein equations

Experimental reasons:

Comparing the prediction with respect to the next generation measurements of the precision cosmology era Re-considering the right averaging procedure for the physical observables

Fanizza Giuseppe

Importance of an exact non-perturbative approach

The Geodesic Light-Cone gauge

Luminosity distance in this gauge

The Geodesic Light-Cone gauge

- New approach to the study of cosmology
- Fully non perturbative
- Gauge fixing of the $g_{\mu\nu}$ on the observer

$$ds^2 = \Upsilon^2 dw^2 - 2\Upsilon dw d au + \gamma_{ab} \left(d ilde{ heta}^a - U^a dw
ight) \left(d ilde{ heta}^b - U^b dw
ight)$$

- Light-cone condition: w = constant
- Geodesic flow: $u_{\mu} = -\partial_{\mu}\tau$
- Ability to average on the Light-cone (Gasperini, Marozzi, Nugier, Veneziano, JCAP 1107 (2011) 008)

Luminosity Distance and Non Perturbative Cosmology

Fanizza Giuseppe

Importance of an exact non-perturbative approach

The Geodesic Light-Cone gauge

Luminosity distance in this gauge

Luminosity distance in this gauge (1)

- Exact expression for some observable quantities as redshift
- Exact non perturbative expression for the Jacobi map (Fanizza, Gasperini, Marozzi, Veneziano, JCAP 1311 (2013) 019)
- This allows us to get an exact expression for the luminosity distance:

$$d_L^2 = \left(\frac{\Upsilon_o}{\Upsilon_s}\right)^4 \frac{4\sqrt{\gamma_s}}{\left[\det(u_\tau^{-1}\partial_\tau\gamma^{ab})\gamma^{3/2t}\right]_o}$$

Luminosity Distance and Non Perturbative Cosmology

Fanizza Giuseppe

Importance of an exact non-perturbative approach

The Geodesic Light-Cone gauge

Luminosity distance in this gauge

Luminosity distance in this gauge (2)

- First exact solution of the Jacobi equation
- The expression appears as a simple product of an observer term times a source one
- True only in this gauge
- The result takes care of the right physical phenomena at the observer position, due to his peculiar velocity
- Transformation into the Longitudinal gauge, the Synchronous gauge and among them is fully consistent

Luminosity Distance and Non Perturbative Cosmology

Fanizza Giuseppe

Importance of an exact non-perturbative approach

The Geodesic Light-Cone gauge

Luminosity distance in this gauge

Future perspectives

- Solving Einstein equations in this gauge
- Expressing other physical observables with the aim of this gauge (CMB power spectrum, Weak lensing...)
- Averaging over partial region of the sky, in order to compare the local quantities with global ones

Luminosity Distance and Non Perturbative Cosmology

Fanizza Giuseppe

Importance of an exact non-perturbative approach

The Geodesic _ight-Cone gauge

_uminosity distance in this gauge