



# Bari Xmas Workshop 2012



## Myself and my research

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**In-medium  
gluon condensate  
through AdS/QCD**

**Bottomonium  
moving in plasma  
through EFT**

**QCD**

**Reconstructing  
spectral functions  
through MEM**

**Exotic hybrid mesons  
through AdS/QCD**

# Bottomonium moving in plasma through EFT

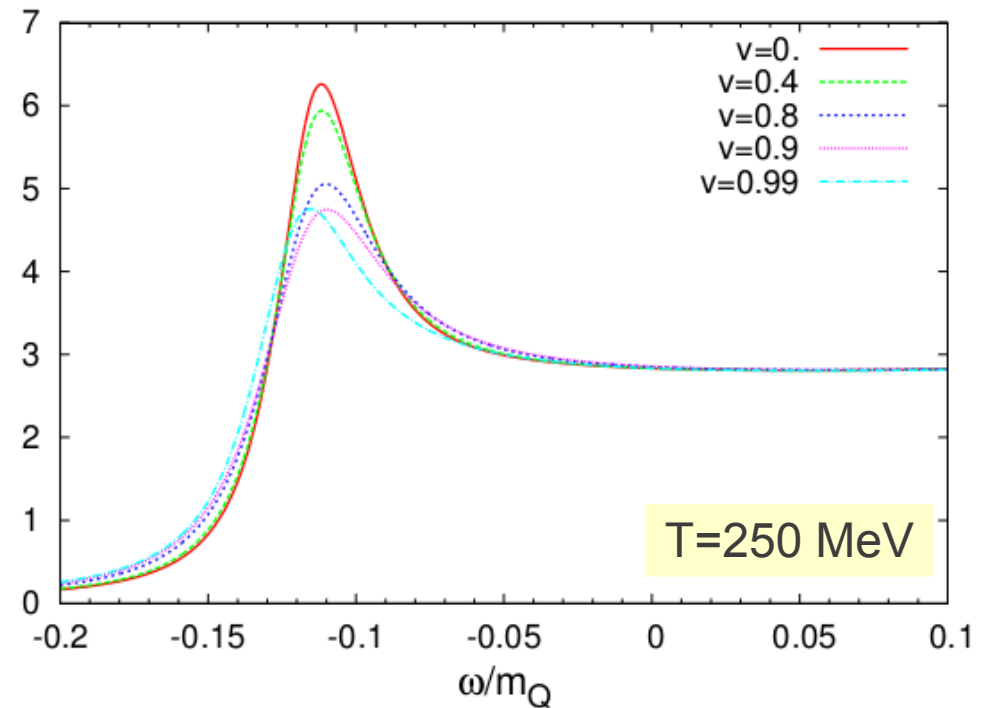
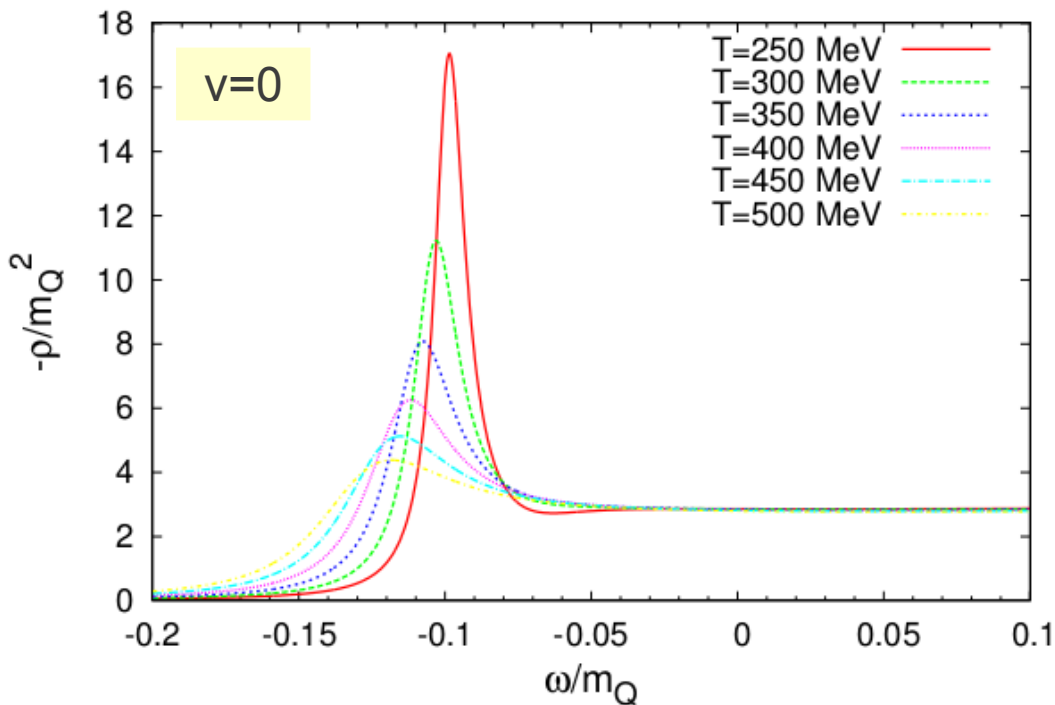
Different behaviour according to temperature scale

$$m_Q \gg 1/r \gg T \gg E \gg m_D$$

gluo-dissociation  
width decreases with  $v$

$$T \gg 1/r, m_D \gg E$$

Landau damping  
width increases with  $v$

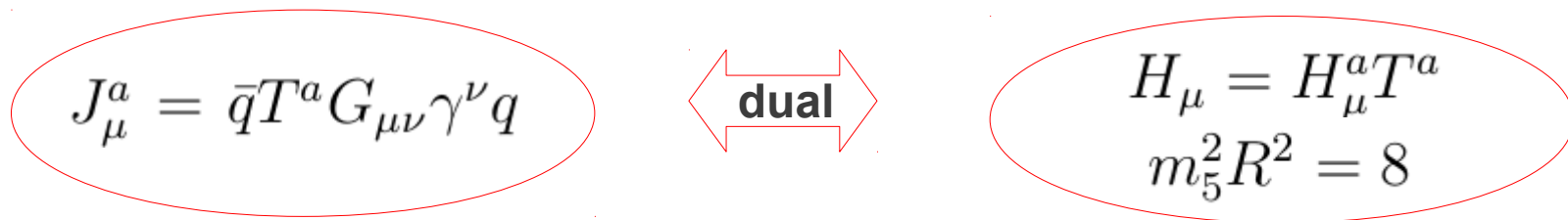


# Exotic hybrid mesons through AdS/QCD

$1^{-+}$  mesons cannot be described as quark-antiquark states  $\longrightarrow$  exotic states

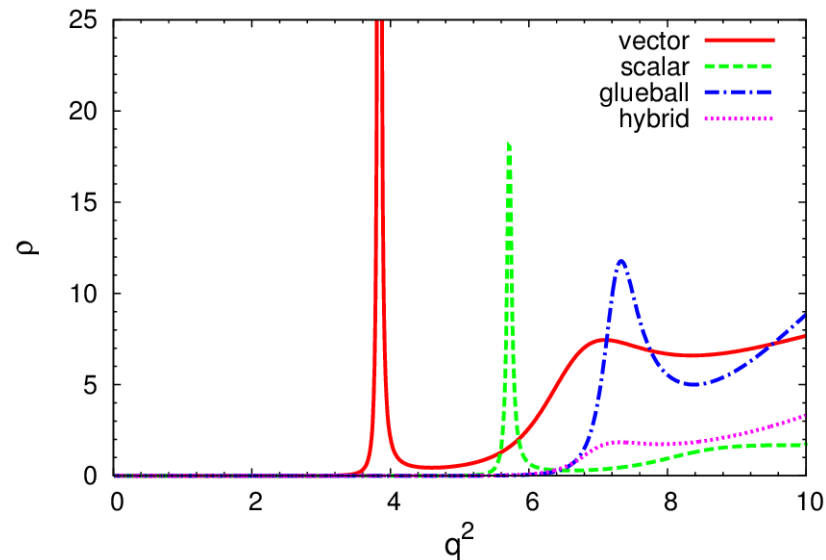
Light meson candidates:  $\pi_1(1400)$ ,  $\pi_1(1600)$ ,  $\pi_1(2015)$

Explore possibility of hybrid meson description, quark + antiquark + excited gluon



Mass spectrum:  $m_n^2 = 4c^2(n + 2)$        $m \sim 1.1 \text{ GeV}$

Unstable at finite temperature



# In-medium gluon condensate through AdS/QCD

## Analysis through the free energy

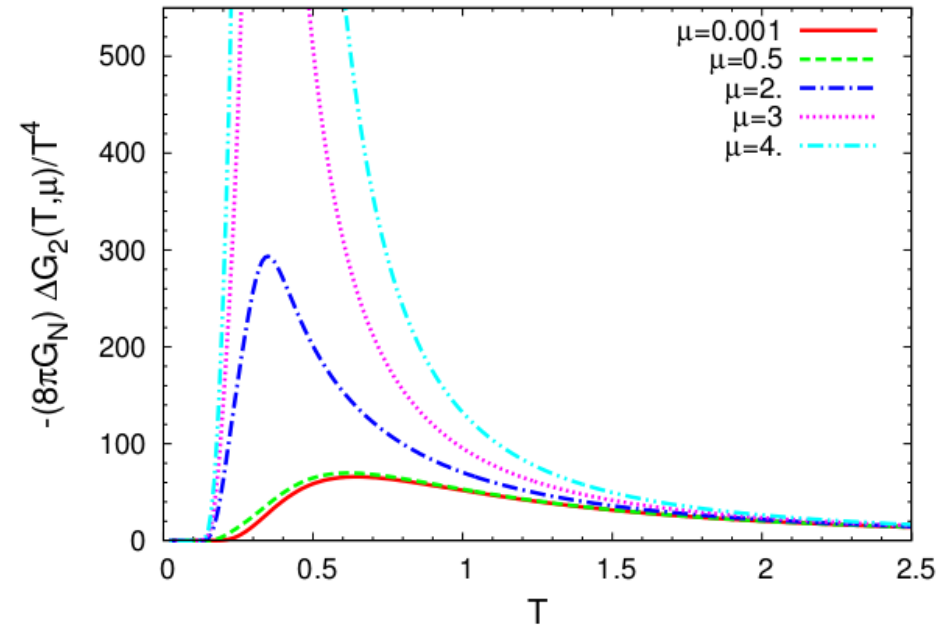
$$p = -\mathcal{F}$$

$$s = \frac{\partial [T \log \mathcal{Z}]}{\partial T} = \frac{\partial p}{\partial T}$$

$$\rho = \partial p / \partial \mu$$

$$\epsilon = Ts - p + \mu\rho$$

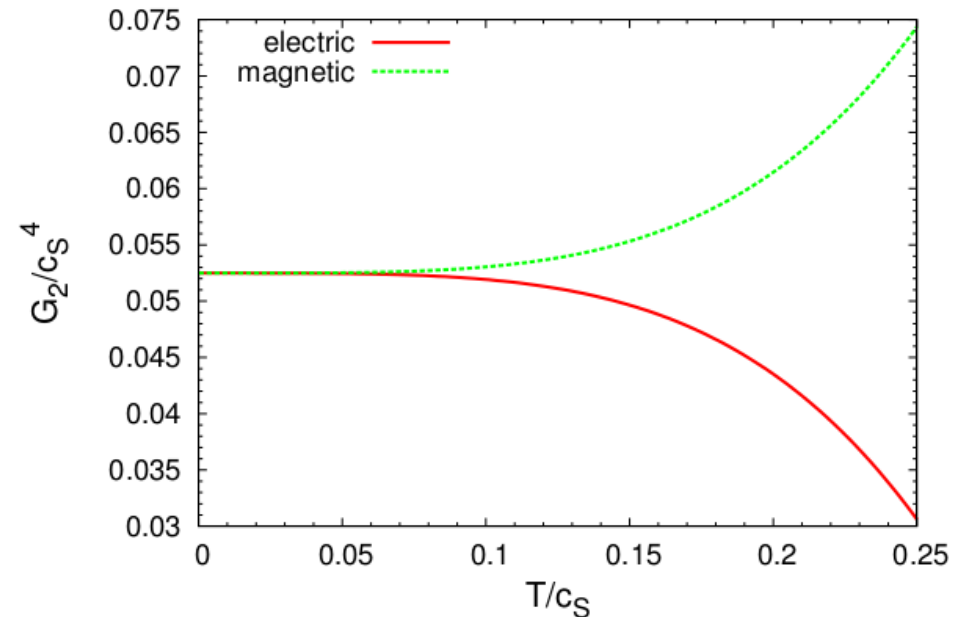
$$\Delta G_2(T, \mu) = -\epsilon(T, \mu) + 3p(T, \mu)$$



## Analysis through Wilson loop

$$\log (\langle W \rangle) = - \sum_n c_n \alpha_s^n - \frac{\pi^2}{36} Z G_2 s^2 + \mathcal{O}(s^3)$$

area of the loop



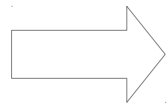
# Reconstructing spectral functions through MEM

Problem: we want to invert

$$D(\tau) = \int_{-\infty}^{\infty} K(\tau, \omega) \rho(\omega) d\omega.$$

data:  $N_c$  measurements with error matrix  $C_{ij} = \frac{1}{N_c(N_c - 1)} \sum_{k=1}^{N_c} (D_i^k - D_i)(D_j^k - D_j)$

ill defined problem, due to the presence of noise in data and the finite number of datapoints



Minimize  
 $\chi^2$

+

Match prior  
information

$$P[\rho|D, I] = \frac{P[D|\rho]P[\rho|I]}{P[D|I]}$$

Test for MEM through holographic SF